CS 188: Artificial Intelligence Spring 2010

Lecture 9: MDPs 2/16/2010

Pieter Abbeel – UC Berkeley Many slides adapted from Dan Klein

Announcements

Assignments

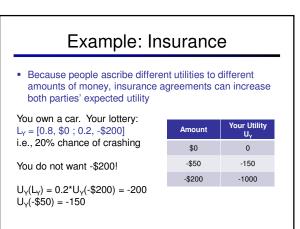
 P2 due Thursday
 We reserved Soda 271 on Wednesday Feb 17 from 4 to 6. One of the GSI's will periodically drop in to see if he can provide any clarifications/assistance. It's a great opportunity to meet other students who might still be looking for a partner.

Readings:

- For MDPs / reinforcement learning, we're using an online reading
 Different treatment and notation than the R&N book, beware!
- Different treatment and notation than the R&N
 Lecture version is the standard for this class

Example: Insurance

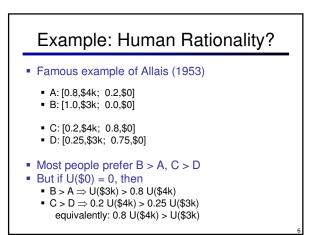
- Consider the lottery [0.5,\$1000; 0.5,\$0]
 - What is its expected monetary value (EMV)? (\$500)
 - What is its certainty equivalent?
 Monetary value acceptable in lieu of lottery
 - \$400 for most people
 Difference of \$100 is the insurance premium
 - There's an insurance industry because people will pay to reduce their risk
 - If everyone were risk-neutral, no insurance needed!

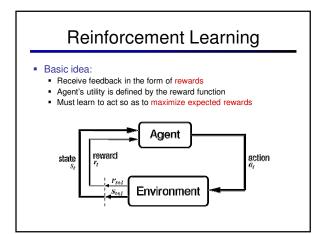


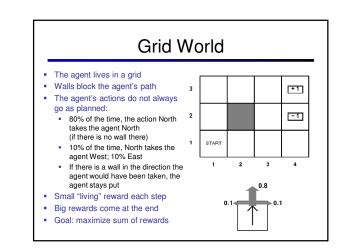
Example: Insurance

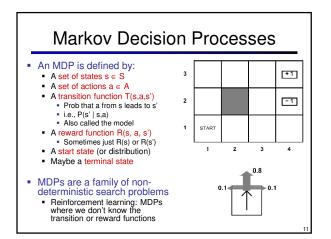
 Because people ascribe different utilities to different amounts of money, insurance agreements can increase both parties' expected utility

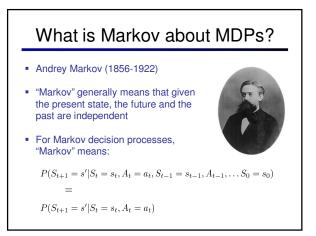
You own a car. Your lottery: $L_Y = [0.8, $0; 0.2, -$200]$ i.e., 20% chance of crashing	Insurance company buys risk: $L_{l} = [0.8, \$50 ; 0.2, -\$150]$ i.e., $\$50$ revenue + your L_{Y}
You do not want -\$200!	Insurer is risk-neutral: U(L)=U(EMV(L))
$\begin{array}{l} U_{Y}(L_{Y}) = 0.2^{*}U_{Y}(-\$200) = -200 \\ U_{Y}(-\$50) = -150 \end{array}$	$ \begin{array}{l} U_{l}(L_{i}) = U(0.8^{*}50 + 0.2^{*}(\text{-}150)) \\ = U(\$10) > U(\$0) \end{array} $

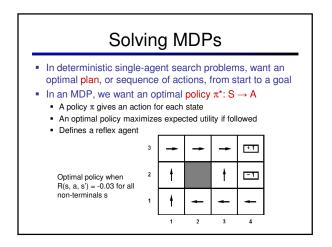


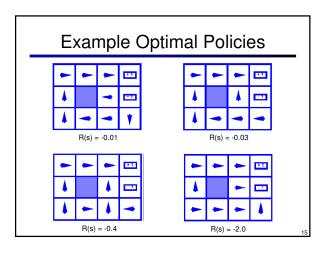


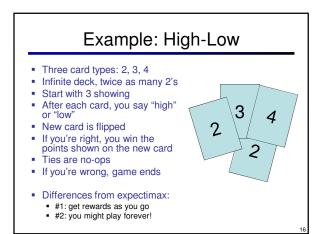


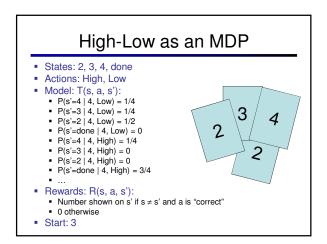


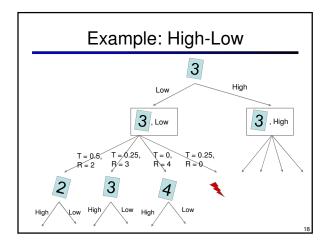


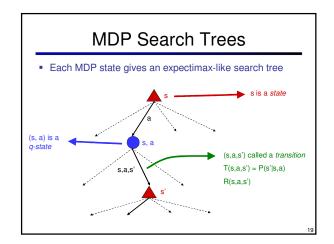


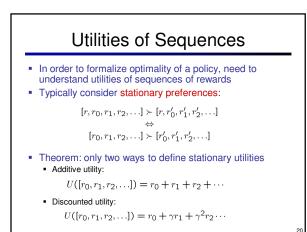


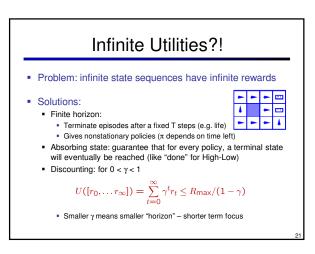


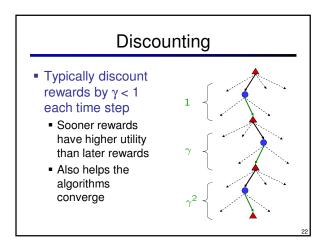


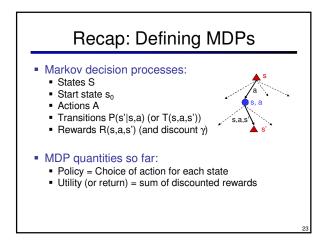


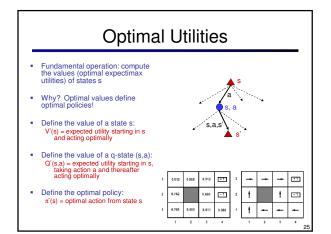


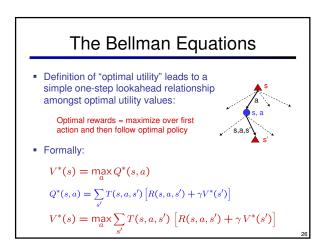


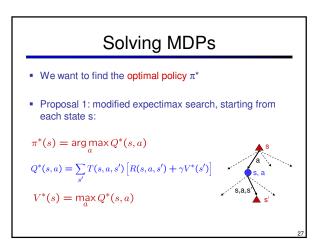


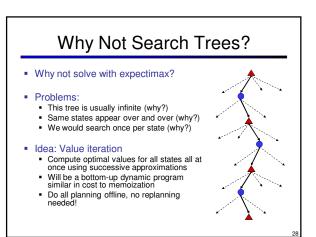












Value Estimates

- Calculate estimates V_k*(s)
 Not the optimal value of s!
 The optimal value considering only next k time steps (k rewards)
 As k → ∞, it approaches the optimal value
 Why:

 If discounting, distant rewards

 - If discounting, distant rewards become negligible
 If terminal states reachable from everywhere, fraction of episodes not ending becomes negligible
 Otherwise, can get infinite expected utility and then this approach actually won't work

